A bibliography on Riordan arrays

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Everybody interested in Riordan arrays can send to the e-mail address:

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references to books and papers on that subject. In this way, I'll be able to update periodically this bibliography. Thanks.

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